**37252 Regression and Linear Models**

**Lab 4: Multiple Linear Regression II**

This lab is marked out of 15.

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**37252\_Lab4\_Surname\_FirstName**

**Due: 12 noon Wednesday 3 April 2024**

In this week’s lab we look at automated variable selection techniques. The data are company sales figures of 25 sales persons, each responsible for a sales district, and available in **37252\_Lab4\_data.csv** which can be downloaded from Canvas.

The variables we now consider are summarised in the table below.

|  |  |  |
| --- | --- | --- |
| **Name** | **Role** | **Description** |
| $$sales$$ | response | unit district sales |
| $$time$$ | predictor | tenure of salesperson |
| $$potent$$ | predictor | unit industry sales |
| $$adv$$ | predictor | advertising expenditure |
| $$share$$ | predictor | market share last 4 years |
| $$sharechg$$ | predictor | change in market share over previous 4 years |
| $$accts$$ | predictor | number of accounts assigned to sales person |
| $$workload$$ | predictor | average workload per account |
| $$rating$$ | predictor | manager’s rating of sales person (1,2,…,7) |

We start by inspecting the relationships between the variables.

> salesdat <- read.csv("~/2024\_37252/Labs/Lab4/37252\_Lab4\_data.csv")

> pairs(~ ., data = salesdat)



We will also look at the correlation between variables.

> library('Hmisc')

> sales\_cor <- as.matrix(cbind(salesdat$sales, salesdat$time, salesdat$potent, salesdat$adv, salesdat$share, salesdat$sharechg, salesdat$accts, salesdat$workload, salesdat$rating))

> colnames(sales\_cor)<-c("sales", "time", "potent", "adv", "share", "sharechg", "accts", "workload", "rating")

> sales\_cor\_res<-rcorr(sales\_cor, type="pearson")

> round(sales\_cor\_res$r,3)

 sales time potent adv share sharechg accts workload rating

sales 1.000 0.623 0.598 0.596 0.484 0.489 0.754 -0.117 0.402

time 0.623 1.000 0.454 0.249 0.106 0.251 0.758 -0.179 0.101

potent 0.598 0.454 1.000 0.174 -0.211 0.268 0.479 -0.259 0.359

adv 0.596 0.249 0.174 1.000 0.264 0.377 0.200 -0.272 0.411

share 0.484 0.106 -0.211 0.264 1.000 0.085 0.403 0.349 -0.024

sharechg 0.489 0.251 0.268 0.377 0.085 1.000 0.327 -0.288 0.549

accts 0.754 0.758 0.479 0.200 0.403 0.327 1.000 -0.199 0.229

workload -0.117 -0.179 -0.259 -0.272 0.349 -0.288 -0.199 1.000 -0.277

rating 0.402 0.101 0.359 0.411 -0.024 0.549 0.229 -0.277 1.000

> round(sales\_cor\_res$P,3)

 sales time potent adv share sharechg accts workload rating

sales NA 0.001 0.002 0.002 0.014 0.013 0.000 0.577 0.046

time 0.001 NA 0.023 0.230 0.613 0.225 0.000 0.391 0.631

potent 0.002 0.023 NA 0.405 0.312 0.195 0.016 0.212 0.078

adv 0.002 0.230 0.405 NA 0.201 0.064 0.338 0.188 0.041

share 0.014 0.613 0.312 0.201 NA 0.685 0.046 0.087 0.911

sharechg 0.013 0.225 0.195 0.064 0.685 NA 0.110 0.163 0.004

accts 0.000 0.000 0.016 0.338 0.046 0.110 NA 0.341 0.272

workload 0.577 0.391 0.212 0.188 0.087 0.163 0.341 NA 0.180

rating 0.046 0.631 0.078 0.041 0.911 0.004 0.272 0.180 NA

1. Based on correlations, chose two predictors as candidate predictors for a multiple regression **[2 marks]**. Why have you chosen these **[2 marks]**?

We will now run the forward selection technique.

> library('olsrr')

> ols\_step\_forward\_p(mod1, penter = 0.1, details = T)

1. Write down the model selected at each step of the forward procedure **[4 marks]**.

We will now run the backward elimination technique.

> ols\_step\_backward\_p(mod1, prem = 0.11, details=T)

1. Write down the model selected at each step of the backward procedure **[4 marks]**.

We could also run the stepwise procedure but, in this case, this is results in identical steps as the forward procedure.

1. Describe one way in which the final model of the forward procedure is superior to that of the backward model **[1 mark]**.
2. Describe two ways in which the final model of the backward procedure is superior to that of the forward model **[2 marks]**.